

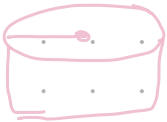
# 1. Measurement & Error

purpose. measure Density.

$$\text{Density} = \frac{\text{mass}}{\text{volume}}$$

unit.  $\text{g/cm}^3$

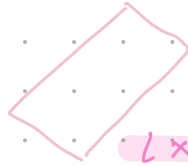
★ Volume of shapes:



$$V = \pi r^2 h$$



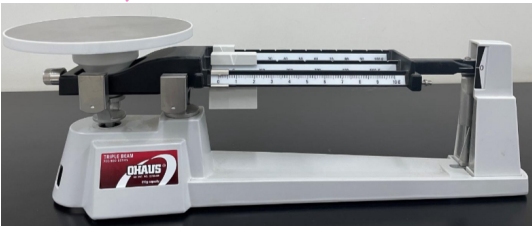
$$\frac{4}{3} \pi r^3$$



$L \times W \times \text{thickness}$

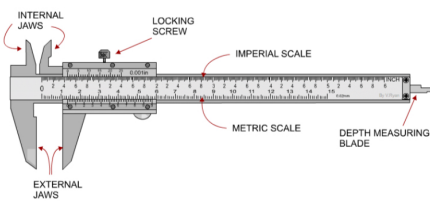
## Apparatus

1. Triple beam Balance



to find mass

2. Vernier Calliper



to find r or L or W.

Zero value + line value  $\times 0.01$  from bottom.



$$\rightarrow \frac{25 + 5 \times 0.01}{10} \rightarrow \text{the scale is 10 points it's mm}$$

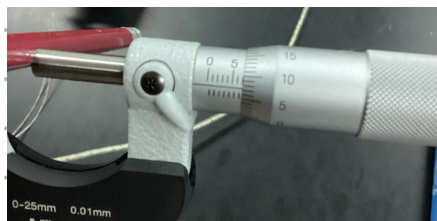
→ to cm

or just divide all by 1000  
mm  $\rightarrow$  m

3. Micrometer Calliper



to find thickness.



$$\rightarrow \frac{6.5 + 8 \times 0.01}{10}$$

the not covered value + zero value  $\times 0.01$

10

# procedure

1. find Mass using T.B.B.
2. Measure Volume using Vernier Caliper / micrometer.
3. Calculate Density using calc.
4. calculate error using calc.

## Relative Error

$$\frac{\text{real val} - \text{measured}}{\text{real}} \times 100$$

## Conclusion.

measured Density

## 2. Thermal

**purpose:** Find Thermal Expansion Coefficient.

$$\alpha = \frac{\Delta L}{\Delta T \cdot L}$$

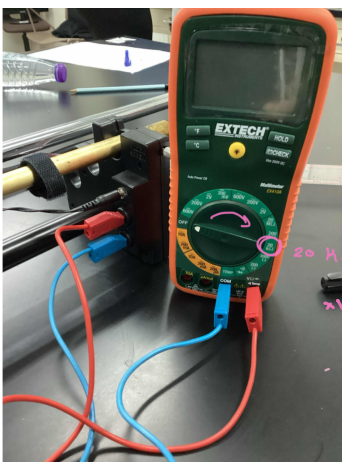
unit:  $\frac{1}{C^{\circ}}$

### Apparatus

1. Metal tube
2. Steam generator and water
3. Ruler
4. Ohm's meter and wires
5. Thermostat / dial gauge

### procedure

1. open the steam generator after adding water
2. measure the length  $L$  of the tube (from middle of black circle left to right)
3. measure  $R$  from ohm meter then look in the table to find temperature
4. Apply the steam then measure resistance from ohm's meter and find final temperature from table.
5. measure  $\Delta L$  directly from digital gauge
6. calculate thermal expansion  $\frac{\Delta L}{\Delta T \cdot L}$



	DATA				CALCULATIONS		
	L(mm)	R <sub>m</sub> (Ω)	ΔL(mm)	R <sub>hot</sub> (Ω)	T <sub>m</sub> (°C)	T <sub>hot</sub> (°C)	ΔT(°C)
Copper							
Brass	750	10050	1.05	770	25°	96°	71
Aluminum							

ruler → L  
 from reading → R<sub>m</sub> = reading × 10<sup>3</sup> Ω  
 from circle directly after steam → R<sub>hot</sub>  
 after the steam → T<sub>m</sub>  
 from table → T<sub>hot</sub>  
 after the steam from table → ΔT  
 change in T  
 then search table for T<sub>m</sub> = C°  
 when water comes from tube take values (after they are stable)

Red → Temp (1st connection)  
Blue → Com (Sec connection)

### 3. Energy Conservation

**Purpose.** Approve that Energy is conserved

$$KE_i + PE_i = KE_f + PE_f$$

$$KE = \frac{1}{2}mv^2$$

$$PE = mhg$$

### Apparatus

1. pasco software

2. motion sensor

3. interface

4. free fall system



### procedure

1. pasco settings <sup>2</sup> → chose graphs + table

Data Summary

- motion  
- velocity

position → settings → N. Format → 3 → okay

\* for position and velocity

2. connect motion sensor with interface

3. Drop the ball on the sensor

4. collect data

The Table will fill itself

look for value when  $v = 0.00$

- take the value of position

- then calculate  $\frac{3}{4}$  and look for the closest value of  $p$  in table

take the value of  $v$

Same thing to find  $v$  when  $p = \frac{1}{2}$

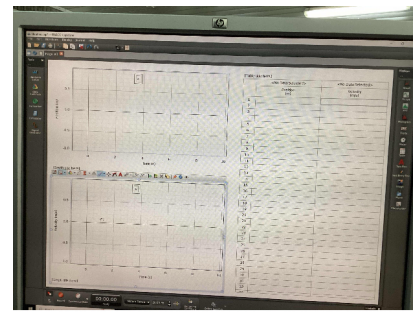
and  $p = \frac{1}{4}$

calculate  $KE$  and  $PE$ .

### Conc.

total Energy at different height are equal

total Energy in closed system is conserved.



↑  
40. Hz



+ same connection  
in details in  
free fall exp.

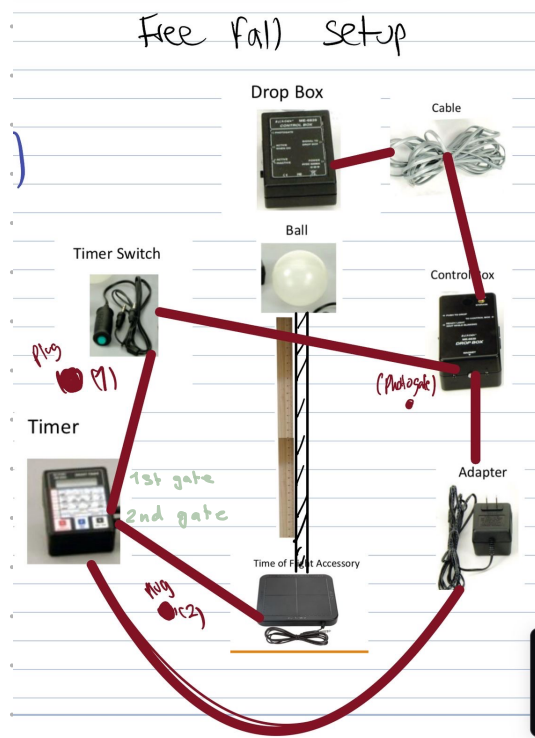
## 4. Free Fall

**Purpose.** Study the relationship between Time and displacement on freely falling object, measure  $g$ .

$$y_i = \frac{1}{2} g t^2$$

### Apparatus.

1. Drop box
2. Control box
3. Time switch
4. adapter
5. Time of flight
6. Ball
7. Ruler
8. cable
9. timer



### Procedure.

1. connection
2. use ruler to measure initial distance  $y_i$  from the bottom of the ball to the Time of flight.
3. drop the Ball and read the timer

4. calculate the acceleration of gravity  
plug the time when height = 80, 60, 40, 20, 0  
and find  $t^2$ .

plug the point on graph



find slope between any two points (not the ones u plugged).

The real value of  $g = 9.81$   
find relative error.

$$g = \frac{2}{\text{slope}}$$

**Conc.**  
calculated acc of gravity.

# 5. vector

**purpose:** Finding resultant force  $F_R$ .  
resultant angle  $\theta_R$ .  
Equilibrant angle  $\theta_e$ .

$$F = ma$$

$$F_x = F_1 \cos \theta + F_2 \cos \theta$$

$$F_y = F_1 \sin \theta + F_2 \sin \theta$$

$$F_R = \sqrt{(F_x)^2 + (F_y)^2}$$

$$\theta_R = \tan^{-1} \left( \frac{F_y}{F_x} \right)$$

$$\theta_e = \theta_R - 180 \quad \theta_e = \theta_R + 180$$

## Apparatus.

1. Force table
2. mass & hanger. Set
3. protractor
4. Graph paper
5. pencil
6. ruler

## Experimental [always coming]





☆  $m_1, \theta_1, m_2, \theta_2$  will be given.

1. add them to the table. (the blue hanger is 5g)
2. Try different  $m$  and  $\theta$  until the circle is centered
3. now u have  $m_e, \theta_e$
4. find  $F_R$

$$|F_R| = |F_e| = m_e g$$

$$\theta_R = \theta_e - 180$$

## Graphical

1. use protractor  to draw  $\theta_1$  and use ruler to draw  $m_1$ . (the length is the grams  $\div 10$ )  
if  $m = 4.5 \text{ g}$  the length  $\div 10 = 4.5 \text{ cm}$ .   
start from zero point 
2. Same for  $m_2, \theta_2$  but start from wherever you end  $m_1, \theta_1$
3. connect them to find  $m_R, \theta_R$ . the  $\theta$  take it  
- from zero point   
-  $m_R = \text{cm} \times 10 \rightarrow \text{g}$   
 $\theta_e = \theta_R + 180$

## Theoretical

apply Formulas

$$F_x = F_1 \cos \theta + F_2 \cos \theta$$

$$F_y = F_1 \sin \theta + F_2 \sin \theta$$

$$F_R = F_e =$$

$$\sqrt{F_x^2 + F_y^2}$$

$$\theta_R = \tan^{-1} \left( \frac{F_y}{F_x} \right)$$

$$\theta_e = \theta_R + 180$$

Relative Error:

$$\frac{\text{real value (from exp)} - \text{this}}{\text{real}} \times 100$$

## Conc.

calculated resultant force for two other forces

## 6. Projectiles

**purpose.** determination of the horizontal range ( $R$ ) of projectile shot for various velocities and angles.

Zero launch angle:

$$t = \sqrt{\frac{2h}{g}}$$

$$R = v_0 \sqrt{\frac{2h}{g}}$$

unit: m

General launch angle

$$R = \left(\frac{v_i^2}{g}\right) \sin 2\theta$$

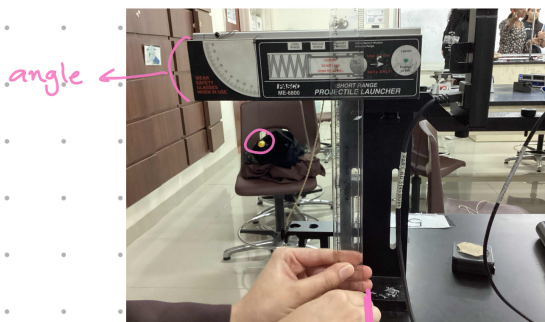
### Apparatus.

1. projectile launcher.
2. Smart timer
3. 2 photo gate heads
4. metric measurement tape
5. Carbon - white paper
6. Adapter
7. Loading Rod
8. Ball
9. tape + scissors



### Procedure.

1. connect smart timer with two photogates
2. connect smart timer with adapter
3. put ball inside projectile (1-3 clicks)
4. using ruler measure initial height and  $d$  to measure initial velocities and time



draw  
line on  
Table

5. check angles

6. Turn on smart timer
7. pull the ball and mark where will it first hit the carbon paper  
(first try to see where u should place the white paper.)
8. measure horizontal range using metric measurement tape.

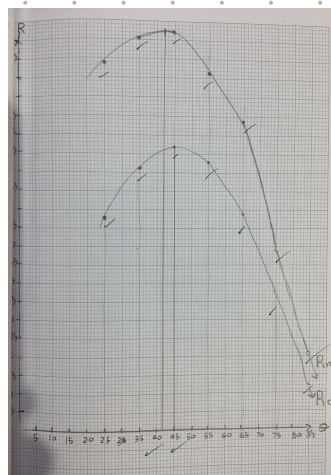
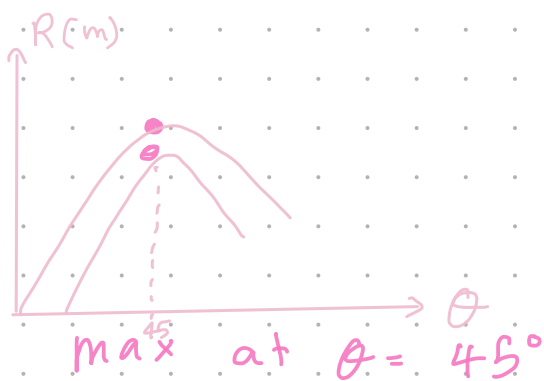
### Relative Error:

$$\frac{\text{real value. (R calculated)} - R_{\text{measured (Experimental)}}}{\text{real}} \times 100$$

- Gate 1. = Short
- Gate 2. = Medium
- Gate 3. = Long

### For General Launch Angle:

plot a graph between R measured and it's angle  
R calculated and it's angle



### Conc:

used the equation of motion to determine R of projectile.

# 7. Newton Law

**Purpose.** Finding mass of a car using Newton's 2nd law. By studying the relationship between  $a$  and  $F$  of the car

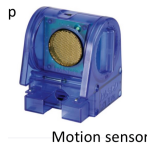
$$F = m \cdot a$$

by force sensor      our goal       $a = \frac{v}{t}$

## Apparatus.



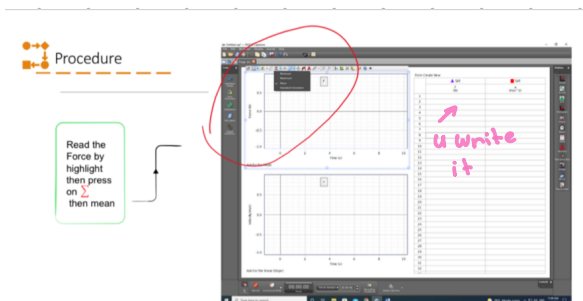
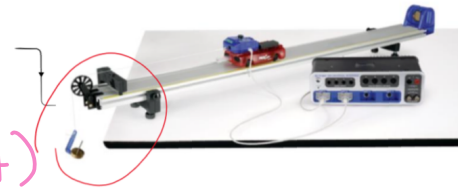
1. force sensor
2. dynamics system the road of the car
3. computer interface
4. pas car
5. pasco software
6. smart pulley
7. mass and hanger set
8. motion sensor



## procedure.

☆ sitting → choose 3 + change sign

1. open pasco - chose 2 graphs + table.
2. connect force/motion sensors to interface.
3. add hanger and masses to the car
4. read the force and acceleration (slope of  $v, t$ )

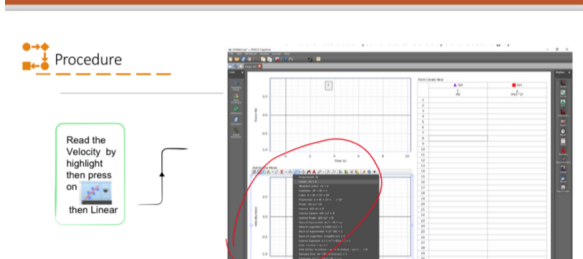


→ force (mean)

$$\text{Slope } \frac{\Delta F}{\Delta a}$$

↳ the experimental m

compare it with real  $m$  to find Relative Error.



→ velocity (same time, linear slope)

# 8. Friction Force

**purpose.** find coefficient of static friction  
find coefficient of kinetic friction.

$$\mu_k = \frac{f_k}{N}$$

$$\mu_s = \frac{f_s}{N} \rightarrow \text{Static friction } f$$

$N = W = mg$

no unit

## Apparatus.

1. force sensor
2. triple beam balance
3. pasco software
4. computer interface
5. Friction Accessory + String
6. Bar masses
7. Motion Sensor

## procedure.

1. open pasco + choose 2 graphs + Table
2. Connect motion / force sensor to interface
3. connect force sensor with friction Accessory  
face the motion sensor to " "
4. read the  $f_s$  (Max) from the graph  
read the  $f_k$  (mean)



Relative error  $\rightarrow$  depending on the material see the real value

Conc.  $\mu_s > \mu_k$

# 4. Spring force

**purpose.** find Spring constant  $k$

$$F = k \Delta x \rightarrow \text{displacement}$$

↓  
our goal

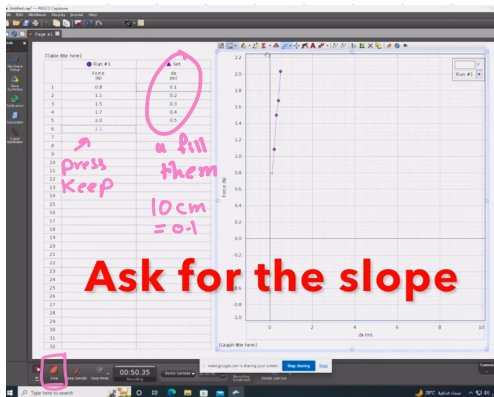
$$\text{Slope } \frac{\Delta F}{\Delta x} = k$$

## Apparatus:

1. Force Sensor
2. Pasco
3. com interface
4. clamp
5. ruler
6. Springs

## procedure.

1. open pasco, chose graph + Table Force + d.
  - choose KEEP mode
  - change force sign
  - press zero on sensor
2. connect force sensor with interface
3. connect the spring with the clamp + the force sensor. fix the ruler
4. Expand the spring 10cm each time (press keep)  
find  $k$  from the slope.



Long  
Shiny  
Doll } Expand

Heave  
Light } Compress

**conc.** found  $k$  for different kinds of springs

# 10. momentum

**purpose.** investigate the conservation of momentum & kinetic energy of a system in collision.

## Elastic

$KE_i = KE_f$   
Kinetic energy is conserved

## Inelastic

K Energy is not conserved.

$P$  is conserved in both

$$P = m \times v$$

$$KE = \frac{1}{2} m v^2$$

☆  $P_{total, i} = P_{total, f}$

## Apparatus.

1. Mass balance
2. Pasco
3. com interface
4. Dynamic track
5. two Pas cars
6. Smart pulley
7. 250 g mass
8. Rotary motion sensors



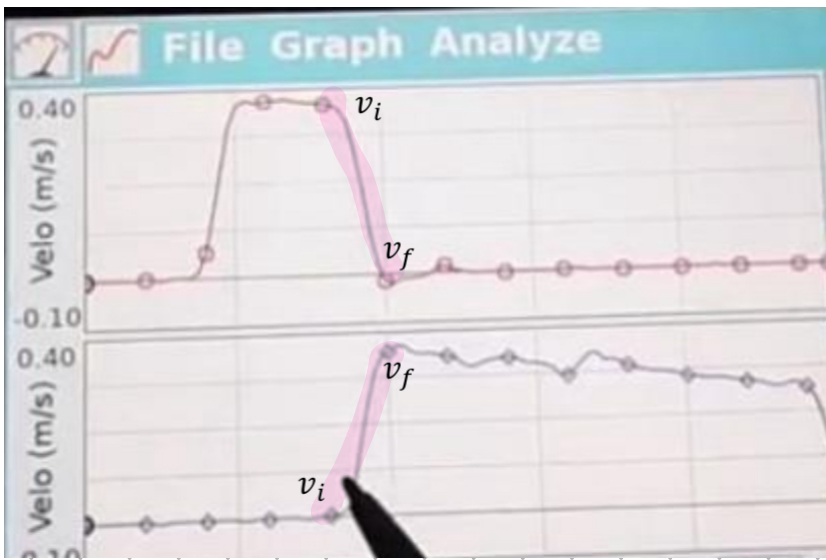
## procedure.

1. open pasco, choose 2 graphs
2. Connect rotary-motion sensors with interface
3. Do the collisions when  $m_1 = m_2$  or  $m_1 \neq m_2$

Elastic      Inelastic

4. From graph take values of  $v_i - v_f$

☆ you have to add sensor manually (digital-AM) 1 and 2.



Moving car

Stable car

Highlight + find [min  
max

$$P = m \times v$$

add  $P_i$  and  $P_f$  to find  $P_{total}$

Relative error the initial  $P$  is the real value

**Conc.** the momentum in elastic / inelastic is conserved.

☆ if u got negative values exchange yellow and black gates.